

MULTIMEDIA



UNIVERSITY

STUDENT IDENTIFICATION NO

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MULTIMEDIA UNIVERSITY

FINAL EXAMINATION

TRIMESTER 3, 2018/2019

BOM2064 – QUALITY AND OPERATIONS MANAGEMENT (All Sections / Groups)

30 MAY 2019
9:00 AM – 11:00 AM
(2 Hours)

INSTRUCTIONS TO STUDENT

1. This Question paper consists of 8 pages with **FOUR** (4) questions only. Relevant equations and normal distribution tables are provided in the Appendix.
2. Answer **ALL** questions. The distribution of the marks for each question is given at the end of each question.
3. Please write all your answers in the answer booklet provided.

QUESTION 1

- a) Healthcare services such as hospitals focus predominantly on providing services whereas automobile manufacturing produces goods. Using hospitals and automobile manufacturing as references, explain any **FIVE (5)** differences between goods and services.

(15 marks)

- b) A wallpaper company produced 2,000 rolls of wallpaper in a day. Standard price for the wallpaper is RM 1 per roll. There are 5 workers, each of them working 8-hour shift per day and the labor cost is RM 5 per hour. Material cost is RM 50, and overhead is 2 times labor cost. Determine the multifactor productivity.

(Note: Write your answers in nearest **TWO** decimal points)

(3 marks)

- c) Jamal Abdin is CEO of Abdin Manufacturing, a producer of Go-Kart tires. Abdin makes 2000 tires per day with the following resources:

Labor: 400 hours @ RM 10 per hour
Raw material: 30,000 pounds per day @ RM 1 per pound
Energy: RM 5,000 per day
Capital: RM 10,000 per day

(Note: Write your answers in nearest **THREE** decimal points)

- i) What is the labor productivity for these tires at Abdin Manufacturing?
- (2 marks)
- ii) What is the multifactor productivity for these tires at Abdin Manufacturing?
- (2 marks)
- iii) What is the percent change in multifactor productivity if Abdin can reduce the energy bill by RM 2000 without cutting production or changing any other inputs?

(3 marks)

(Total: 25 marks)

Continued...

QUESTION 2

- a) Arnold is a second hand car dealer and he has 10 cars for sale. He decides to investigate the relationship between the age of the used cars and the mileage of cars. The data collected from the used cars are shown in the table below:

Age (years)	Mileage (thousands of miles)
2	22
2.5	34
3	33
4	37
4.5	40
4.5	45
5	49
3	30
6	58
6.5	58

(Note: Write your answers in nearest **TWO** decimal points)

- i) Determine the linear regression equation for the data above.
(10 marks)
 - ii) Calculate the correlation coefficient. Explain the relationship between the variables.
(3 marks)
 - iii) Forecast the mileage of the used car if the age of the used car is 7 years.
(2 marks)
- b) Determine **FIVE (5)** reasons for Apple's iPhone product redesign.
(10 marks)

(Total: 25 marks)

Continued...

QUESTION 3

- a) Ahmad had just purchased a new Proton X70 for his wife as a birthday present. Explain the **FIVE (5)** dimensions of product quality which Ahmad can use to evaluate his new car.
(10 marks)
- b) Identify the **TWO (2)** types of variations that can be present in the output of a process. Provide examples to support your answers.
(6 marks)
- c) Planet Café uses statistical process control to ensure that it's vegan sandwich loaves have the proper weight. Over the past few days, they have randomly selected and weighed six loaves and recorded the mean and range for each sample, which is given in the table below. Note that every sample consists of six loaves.

Sample	Sample Average	Sample Range
1	4.00	0.41
2	4.16	0.55
3	3.99	0.44
4	4.00	0.48
5	4.17	0.56
6	3.93	0.62

(Note: Write your answers in nearest **TWO** decimal points)

Calculate the control limits for both mean and range for this process.

(9 marks)

(Total: 25 marks)

Continued...

QUESTION 4

- a) Nestle S.A. is a Swiss multinational food and drink company and it's the largest food company in the world. Relate **FIVE (5)** challenges that Nestle faces as a global supply chain operator.

(10 marks)

- b) The weekly demand for a stereo system at Maju Electronics Co. is normally distributed, with an average of 21 per week and a standard deviation of 3 units. The lead time for receiving a shipment of new stereos is 10 days and is fairly constant. The store is open seven days a week. The manager of the store desires a service level of 90 percent.

(Note: Write your answers in nearest **TWO** decimal points)

- i) Determine the reorder point for Maju Electronics.

(4 marks)

- ii) Calculate the amount of safety stock that is appropriate for the store.

(2 marks)

- iii) What is the percentage of stockout risk if the store decided not to have any safety stock?

(1 mark)

- c) Explain the **FOUR (4)** elements of product design that make up the building blocks of a JIT system.

(8 marks)

(Total: 25 marks)

Continued...

RELEVANT EQUATIONS

$$1) CL = \bar{\bar{X}}, \bar{R}$$

$$UCL, LCL (X - \text{bar}) = \bar{\bar{X}} \pm A_2 \bar{R}$$

$$UCL (R) = D_4 \bar{R}$$

$$LCL (R) = D_3 \bar{R}$$

Table for X - bar & R Charts

No of Observation	A2	D3	D4
In sub group n			
2	1.88	0	3.27
3	1.02	0	2.57
4	0.73	0	2.28
5	0.58	0	2.11
6	0.48	0	2

$$2) UCL c = \bar{c} + 3\sqrt{\bar{c}}$$

$$LCL c = \bar{c} - 3\sqrt{\bar{c}}$$

$$3) \bar{p} = \text{Total No of Defective from All Samples} / (\text{No of Samples} \times \text{Sample Size})$$

$$Sp = \sqrt{[\bar{p}(1 - \bar{p})/n]}$$

$$CL = \bar{p}$$

$$LCL = \bar{p} - 3 Sp$$

$$UCL = \bar{p} + 3 Sp$$

$$4) \text{Capacity Utilization} = \text{Capacity Used} / \text{Best Operating Level}$$

$$5) r = \frac{n \sum XY - [\sum X \sum Y]}{\sqrt{[n \sum X^2 - (\sum X)^2][n \sum Y^2 - (\sum Y)^2]}}$$

$$a = \bar{Y} - b \bar{X}$$

$$b = \frac{n \sum XY - \sum X \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$6) \text{Exponential smoothing}$$

$$\text{Forecast for the month } t: F_t = F_{t-1} + \alpha(A_{t-1} - F_{t-1})$$

Continued...

7) Inventory Management:

$$EOQ = Q^* = \sqrt{\frac{2DS}{H}} \quad TC = \frac{Q}{2}H + \frac{D}{Q}S$$

$$EPQ = Q_0 = \sqrt{\frac{2DS}{H}} \sqrt{\frac{p}{p-u}} \quad I_{\max} = \frac{Q}{P}(p-u) \quad TC = \frac{I_{\max}}{2}H + \frac{D}{Q}S$$

$$SS = z(\sigma d)\sqrt{LT} \quad ROP = \bar{d}(LT) + z(\sigma d)\sqrt{LT}$$

8) Lean Operations:

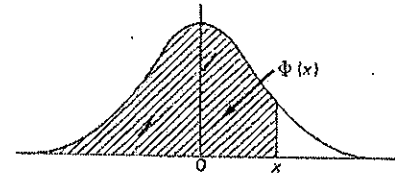
$$N = \frac{DT(1+X)}{C}$$

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TABLE 4. THE NORMAL DISTRIBUTION FUNCTION

The function tabulated is $\Phi(x) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^x e^{-t^2/2} dt$. $\Phi(x)$ is

the probability that a random variable, normally distributed with zero mean and unit variance, will be less than or equal to x . When $x < 0$ use $\Phi(x) = 1 - \Phi(-x)$, as the normal distribution with zero mean and unit variance is symmetric about zero.



x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$
0.00	0.5000	0.40	0.6554	0.80	0.7881	1.20	0.8849	1.60	0.9452
0.01	5040	41	6591	81	7910	21	8869	61	9463
0.02	5080	42	6628	82	7939	22	8888	62	9474
0.03	5120	43	6664	83	7967	23	8907	63	9484
0.04	5160	44	6700	84	7995	24	8925	64	9495
0.05	5199	45	6736	85	8023	25	8944	65	9505
0.06	5239	46	6772	86	8051	26	8962	66	9515
0.07	5279	47	6808	87	8078	27	8980	67	9525
0.08	5319	48	6844	88	8106	28	8997	68	9535
0.09	5359	49	6879	89	8133	29	9015	69	9545
0.10	5398	50	6915	90	8159	30	9032	70	9554
11	5438	51	6950	91	8186	31	9049	71	9564
12	5478	52	6985	92	8212	32	9066	72	9573
13	5517	53	7019	93	8238	33	9082	73	9582
14	5557	54	7054	94	8264	34	9099	74	9591
0.15	5596	55	7088	95	8289	35	9115	75	9599
16	5636	56	7123	96	8315	36	9131	76	9608
17	5675	57	7157	97	8340	37	9147	77	9616
18	5714	58	7190	98	8365	38	9162	78	9625
19	5753	59	7224	99	8389	39	9177	79	9633
0.20	5793	60	7257	1.00	0.8413	40	9192	80	9641
21	5832	61	7291	01	8438	41	9207	81	9649
22	5871	62	7324	02	8461	42	9222	82	9656
23	5910	63	7357	03	8485	43	9236	83	9664
24	5948	64	7389	04	8508	44	9251	84	9671
0.25	5987	65	7422	1.05	0.8531	45	9265	85	9678
26	6026	66	7454	06	8554	46	9279	86	9686
27	6064	67	7486	07	8577	47	9292	87	9693
28	6103	68	7517	08	8599	48	9306	88	9699
29	6141	69	7549	09	8621	49	9319	89	9706
0.30	6179	70	7580	1.10	0.8643	50	9332	90	9713
31	6217	71	7611	11	8665	51	9345	91	9719
32	6255	72	7642	12	8686	52	9357	92	9726
33	6293	73	7673	13	8708	53	9370	93	9732
34	6331	74	7704	14	8729	54	9382	94	9738
0.35	6368	75	7734	1.15	0.8749	55	9394	95	9744
36	6406	76	7764	16	8770	56	9406	96	9750
37	6443	77	7794	17	8790	57	9418	97	9756
38	6480	78	7823	18	8810	58	9429	98	9761
39	6517	79	7852	19	8830	59	9441	99	9767
0.40	6554	0.80	0.7881	1.20	0.8849	1.60	0.9452	2.00	0.9772
								2.40	0.99180

TABLE 4. THE NORMAL DISTRIBUTION FUNCTION

x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$	x	$\Phi(x)$
2.40	0.99180	2.58	0.99461	2.70	0.99653	2.85	0.99781	3.00	0.99865
41	0.99202	56	0.99477	71	0.99664	86	0.99788	01	0.99869
42	0.99224	57	0.99492	72	0.99674	87	0.99795	02	0.99874
43	0.99245	58	0.99506	73	0.99683	88	0.99801	03	0.99878
44	0.99266	59	0.99520	74	0.99693	89	0.99807	04	0.99882
45	0.99286	60	0.99534	75	0.99702	90	0.99813	05	0.99886
46	0.99305	61	0.99547	76	0.99711	91	0.99819	06	0.99889
47	0.99324	62	0.99560	77	0.99720	92	0.99825	07	0.99893
48	0.99343	63	0.99573	78	0.99728	93	0.99831	08	0.99896
49	0.99361	64	0.99585	79	0.99736	94	0.99836	09	0.99900
50	0.99379	65	0.99598	80	0.99744	95	0.99841	10	0.99903
51	0.99396	66	0.99609	81	0.99752	96	0.99846	11	0.99906
52	0.99413	67	0.99621	82	0.99760	97	0.99851	12	0.99910
53	0.99430	68	0.99632	83	0.99767	98	0.99856	13	0.99913
54	0.99446	69	0.99643	84	0.99774	99	0.99861	14	0.99916
55	0.99461	70	0.99653	85	0.99781	00	0.99865	15	0.99918
								20	0.99952

The critical table below gives on the left the range of values of x for which $\Phi(x)$ takes the value on the right, correct to the last figure given; in critical cases, take the upper of the two values of $\Phi(x)$ indicated.

3.075	0.99990	3.263	0.99994	3.731	0.99999
3.105	0.99991	3.320	0.99995	3.759	0.99999
3.138	0.99992	3.389	0.99996	3.791	0.99999
3.174	0.99993	3.480	0.99997	3.826	0.99999
3.215	0.99994	3.615	0.99998	3.867	0.99999

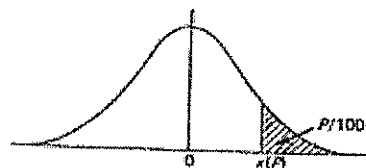
When $x > 3.3$ the formula $1 - \Phi(x) \approx \frac{e^{-x^2}}{x\sqrt{2\pi}} \left[1 - \frac{1}{x^2} + \frac{3}{x^4} - \frac{15}{x^6} + \frac{105}{x^8} \right]$ is very accurate, with relative error less than $9.45/x^{10}$.

TABLE 5. PERCENTAGE POINTS OF THE NORMAL DISTRIBUTION

This table gives percentage points $x(P)$ defined by the equation

$$\frac{P}{100} = \frac{1}{\sqrt{2\pi}} \int_{x(P)}^{\infty} e^{-t^2/2} dt.$$

If X is a variable, normally distributed with zero mean and unit variance, $P/100$ is the probability that $X \geq x(P)$. The lower P per cent points are given by symmetry as $-x(P)$, and the probability that $|X| \geq x(P)$ is $2P/100$.



P	$x(P)$	P	$x(P)$	P	$x(P)$	P	$x(P)$	P	$x(P)$
50	0.0000	5.0	1.6449	3.0	1.8808	2.0	2.0537	1.0	2.3263
45	0.1257	4.8	1.6646	2.9	1.8957	1.9	2.0749	0.9	2.3656
40	0.2533	4.6	1.6849	2.8	1.9110	1.8	2.0960	0.8	2.4089
35	0.3853	4.4	1.7060	2.7	1.9268	1.7	2.1201	0.7	2.4573
30	0.5244	4.2	1.7279	2.6	1.9431	1.6	2.1444	0.6	2.5121
25	0.6745	4.0	1.7507	2.5	1.9600	1.5	2.1701	0.5	2.5758
20	0.8416	3.8	1.7744	2.4	1.9774	1.4	2.1973	0.4	2.6521
15	1.0364	3.6	1.7991	2.3	1.9954	1.3	2.2262	0.3	2.7478
10	1.2816	3.4	1.8250	2.2	2.0141	1.2	2.2571	0.2	2.8782
5	1.6449	3.2	1.8522	2.1	2.0335	1.1	2.2994	0.1	3.0902
								0.0005	4.4172